NPTEL MOOC PROGRAMMING, DATA STRUCTURES AND ALGORITHMS IN PYTHON

Week 3, Lecture 6

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Sorting

- * Searching for a value
 - Unsorted array linear scan, O(n)
 - Sorted array binary search, O(log n)
- * Other advantages of sorting
 - * Finding median value: midpoint of sorted list
 - * Checking for duplicates
 - Building a frequency table of values

How to sort?

- * You are a Teaching Assistant for a course
- * The instructor gives you a stack of exam answer papers with marks, ordered randomly
- * Your task is to arrange them in descending order

Strategy 1

- Scan the entire stack and find the paper with minimum marks
- Move this paper to a new stack
- * Repeat with remaining papers
 - Each time, add next minimum mark paper on top of new stack
- Eventually, new stack is sorted in descending order

74 32 89 55 21 64

74 32 89



21 32 55



21 32 55 64

21 32 55 64 74

21 32 55 64 74 89

Selection Sort

* Select the next element in sorted order

* Move it into its correct place in the final sorted list

- * Avoid using a second list
 - Swap minimum element with value in first position
 - Swap second minimum element to second position



74 32 89 55 21 64

74 32 89 55 21 64

21 32 55 89 74 64

21 32 55 64 74 89

def SelectionSort(l):

Scan slices l[0:len(l)], l[1:len(l)], ...
for start in range(len(l)):

Find minimum value in slice . . .
minpos = start
for i in range(start,len(l)):
 if l[i] < l[minpos]:
 minpos = i</pre>

. . . and move it to start of slice
(l[start],l[minpos]) = (l[minpos],l[start])

Analysis of Selection Sort

- Finding minimum in unsorted segment of length k requires one scan, k steps
- In each iteration, segment to be scanned reduces by 1

* $T(n) = n + (n-1) + (n-2) + ... + 1 = n(n+1)/2 = O(n^2)$